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Fuzzy Time Intervals for Simulating Actions

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Outline:

- Motivation
 - Why crisp plans and schedules fail?
- PSI project and modeling approach
- Ontology stack and modeling choices
- Minimal model of time how requirements are met
- Basic (crisp) theory
- Fuzzy extension
 - Time intervals
 - Time phases and periods
- THROUGHOUT: How to use for simulating actions

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• Conclusions and outlook

Why Crisp Plans and Schedules Fail?

At execution time a design manager ...

- May find out that:
 - A designer is not available at 08:00:03.1458 CET as planned
 - Designer D will not accomplish activity A at 08:00:03.1458 CET as he swore
- Observes that:
 - Designer D is less busy in other projects than he reports
 - Resource R will be depleted more quickly than estimated
 - Designer D is not that well trained for using tool T as he claims
 - Factually required No of debug-verify iterations will be more than planned
 - Different designers will spend different times for ramping up for activity A

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- Ramping up longer may result in doing the job quicker
- But, ... not at all necessarily
- Nobody is (crisply) perfect

Performance Simulation Initiative

- R&D project of Cadence Design Systems GmbH
 - Goal: Assess and Manage Performance in Engineering Design
 - Domain: Microelectronics and Integrated Circuits
 - Method: knowledge-intensive simulation of:
 - A Design System and
 - A Dynamic Engineering Design Process
- A "horizontal" framework:
 - Plugged-in focused activities
 - Cooperation with other projects
 - PRODUKTIV+ (BMBF, <u>http://www.edacentrum.de/produktivplus/</u>)

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ACTIVE IP (EC FP7, <u>http://active-project.eu/</u>)



How to Lower Failure Risks in Performance?



• For all that: **MODEL ADEQUATELY** to real world and common sense



Model (Ontology) Stack



How to **MODEL ADEQUATELY**? - One possible way: Fuzzy Time Intervals



Modeling Choices

- Keep trivial, however efficiently applicable
 - Time is: linear, anisotropic, discrete
- Make effective for modeling actions in processes
 - Properly extend basic (crisp) theory
 - Time intervals are fuzzy
 - Finite and infinite intervals
 - Phases and periods



Time Minimal

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How Requirements are Met?

- Covered:
 - Absolute time points
 - Differently structured and grained time stamps
 - Time intervals and their durations
 - Time intervals open or closed by beginning and ending instants
- Partially covered:
 - Finite and infinite time intervals
- Not covered:
 - Relationships on intervals, vagueness, phases and periods, subjective perceptions, infinity, many more ...

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Time Crisp: Allen's Theory

- Extension of Time Minimal
- Interval relationships expressed using relationships among instants
- Implemented in OWL-DL
 - Draft release candidate for PSI Suite v.2.3

$$t_{1}^{b} I_{1} t_{1}^{e} t_{2}^{b} I_{2} t_{2}^{e}$$

$$Before(I_{1}, I_{2}) \equiv Before(t_{1}^{e}, t_{2}^{b}) \land \neg Same(t_{1}^{e}, t_{2}^{b})$$

$$I_{1} I_{2} \equiv Before(t_{1}^{b}, t_{2}^{b}) \land Same(t_{1}^{e}, t_{2}^{b})$$

$$I_{1} I_{2} \equiv Before(t_{2}^{b}, t_{2}^{e}) \land \neg Same(t_{1}^{b}, t_{2}^{b})$$

$$\land Before(t_{2}^{b}, t_{1}^{e}) \land \neg Same(t_{2}^{b}, t_{1}^{e})$$

$$\land After(t_{2}^{e}, t_{1}^{e}) \land \neg Same(t_{2}^{b}, t_{1}^{e})$$

$$I_{1} I_{2} \equiv Before(t_{1}^{b}, t_{2}^{b}) \land \neg Same(t_{2}^{b}, t_{1}^{e})$$

$$\land After(t_{1}^{e}, t_{2}^{e}) \land (Same(t_{1}^{e}, t_{2}^{e}))$$

$$I_{1} I_{2} = Before(t_{1}^{b}, t_{2}^{b}) \land \neg Same(t_{1}^{b}, t_{2}^{b})$$

$$\neg \land After(t_{1}^{e}, t_{2}^{e}) \land (Same(t_{1}^{e}, t_{2}^{e}))$$

$$I_{2} I_{1} I_{2} = Same(t_{1}^{b}, t_{2}^{b}) \land \neg Same(t_{1}^{b}, t_{2}^{b}) \land Same(t_{1}^{e}, t_{2}^{e})$$

$$I_{1} I_{2} = Same(t_{1}^{b}, t_{2}^{b}) \land \neg Same(t_{1}^{b}, t_{2}^{b}) \land Same(t_{1}^{e}, t_{2}^{e})$$

$$I_{1} I_{2} = Same(t_{1}^{b}, t_{2}^{b}) \land \neg Same(t_{1}^{b}, t_{2}^{b}) \land Same(t_{1}^{e}, t_{2}^{e})$$

$$I_{2} = I_{1} I_{2} = Same(t_{1}^{b}, t_{2}^{b}) \land \neg Same(t_{1}^{b}, t_{2}^{b}) \land Same(t_{1}^{e}, t_{2}^{e})$$

Time Fuzzy: Extension of Time Crisp

• Fuzzy time interval: $I = \{T^b, T^i, T^e, f\}$



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- T^{i} the Core inner instants
- Beginning and Ending sets:
 - Beginning $(T^b = \{t^b_j\}): \forall t^b_j: t^b_j > t^b \rightarrow t^b_j \in T^i$
 - Ending $(T^e = \{t_j^e\}): \forall t_j^e : t_j^e < t^e \rightarrow t_j^e \in T^i$
- Discrete membership function: $f: Z \rightarrow [0,1]$ individual for A-s, R-s, ...
- Thresholds: reputation and confidence
- Implementation issues:
 - Low expressiveness of OWL-DL …
 - Computational overhead …

Time Fuzzy: Extension of Time Crisp

Relationships on Intervals 1 of 2



Time Fuzzy: Extension of Time Crisp

Relationships on Intervals 2 of 2

- Expressiveness gain:
 - Relaxation on interval ends
 - More shades in intersection and similarity
- E.g.:
 - $Same(I_1, I_2)$
 - Not always true in Crisp sense
 - Is true when:
 - Either $f_1 \equiv f_2$
 - Or begs and ends contain one instant



Finite and Infinite Intervals

Fuzzy: modeling vague durations of events and actions

- From now on I'm a knowledge engineer!
 - My first naïve ontology is accomplished
- Crafting ontologies? never more:
 - My first paper was badly rejected
- At least:
 - the Sun always shines ...



$$\begin{split} I^{\infty} : \\ T^{e} &= \emptyset, \forall t_{j} \in T^{i} \exists t_{i} : (t_{i} \in T^{i}) \land After(t_{i}, t_{j}) \\ ^{\infty}I : \\ T^{b} &= \emptyset, \forall t_{j} \in T^{i} \exists t_{i} : (t_{i} \in T^{i}) \land Before(t_{i}, t_{j}) \\ ^{\infty}I^{\infty} : \\ T^{b} &= \emptyset, T^{e} = \emptyset, \forall t_{j} \in T^{i} \exists t_{i}, t_{k} : (t_{i}, t_{k} \in T^{i}) \\ \land Before(t_{i}, t_{j}) \land After(t_{k}, t_{j}) \end{split}$$



- Phases of an Activity: sub-activities
 - Often have facilitation dependencies:
 - The more effective the source the more efficient the target
 - E.g.: Ramp-up and Execution phases of a design Activity
- Durations of phases:
 - Subjective
 - Vague
- Modeled using Fuzzy interval sets $S = \{s_1, ..., s_i, s_{i+1}, ..., s_N\}$

 $\forall i = 1..N - 1, j = i + 1, (LikelyMeets(s_i, s_j) \lor Meets(s_i, s_j))$



Periods

- Associated with regular or repeating events
 - Sunrise, breakfast, blames by the project manager
- Finite or infinite sets of periods
- Finite: $\Pi = \{\pi_1 ... \pi_i, \pi_{i+1}, ..., \pi_N\}$ - Order: $\forall i = 1..N - 1, j = i + 1..N(Before(\pi_i, \pi_j) \lor Meets(\pi_i, \pi_j))$
- Infinite: ${}^{\infty}\Pi = \{...\pi_i, \pi_{i+1}, ..., \pi_n\}$ at the beginning $\Pi^{\infty} = \{\pi_1 ... \pi_i, \pi_{i+1}, ...\}$ - at the end ${}^{\infty}\Pi^{\infty} = \{...\pi_i, \pi_{i+1}, ...\}$ - at both ends
 - Order: ${}^{\infty}\Pi^{\infty}: \forall i \exists j : (Before(\pi_i, \pi_j) \lor Meets(\pi_i, \pi_j))$ $\Pi^{\infty}: \forall i \exists j > 1 : (Before(\pi_i, \pi_j) \lor Meets(\pi_i, \pi_j))$

^{∞} Π : $\forall i < n \exists j : (Before(\pi_i, \pi_j) \lor Meets(\pi_i, \pi_j))$

Conclusions and Outlook

- Did not plan to refine fuzzy reasoning ...
 - Similar to (at least) two other approaches, but in different domains
- One of the basic models <u>for reasoning about events and</u> <u>actions</u> – in PSI
 - Used in Dynamic Engineering Design Process scheduling and simulation
 - Provides more flexible process representations
 - By "springing" events and actions using fuzzy time intervals Allows representing subjective perceptions
 - More realistic phases and periods
- Time Minimal, Crisp, Fuzzy:
 - Minimal implemented, used in PSI software
 - Crisp implemented as a draft release candidate
 - Fuzzy in implementation
 - Some minor technical problems in representation and efficiency

Questions Please



